

We aim to study the transport and vertical concentration profiles of neutrally buoyant microplastics through direct numerical simulations of small particles in an inhomogeneous turbulent flow.

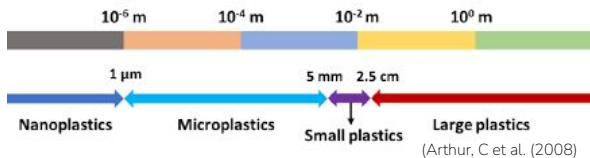
SCIENTIFIC CONTEXT



◆ Plastic pollution

- It is one of the biggest threats to the marine environment
- Microplastic transport is complex, involving biological, physical, and chemical processes across multiple scales.

◆ What are microplastics?



◆ Neutrally buoyant particles

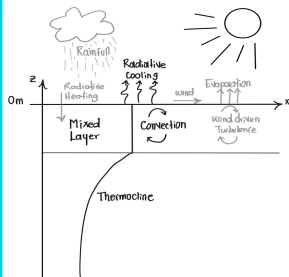
$$\rho_p = \rho_F$$

- They are particles whose density is equal to that of the surrounding fluid.
- Some of the most common plastics in the ocean have a density ratio (ρ_p/ρ_F) close to 1.

APPROACH AND MODEL

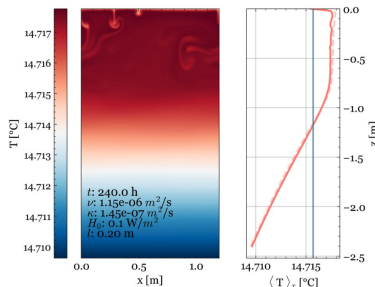
A model system for ocean Mixed Layer

Bhamidipati, N. et al (2020)



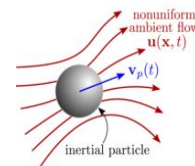
- The ocean Mixed Layer forms due to wind and surface radiation, leading to homogeneous seawater properties through mixing.

- We model this using a 2D convective mixed layer governed by the Boussinesq equations.



Particle dynamics

We use the Maxey-Riley-Gatignol equation that takes into account the effects of:



- Added mass force
- Buoyancy force
- Drag force

we derive a simplified model for neutrally buoyant particle dynamics in a stratified flow:

$$\dot{\mathbf{x}} = \mathbf{v}(\mathbf{x}(t), t)$$

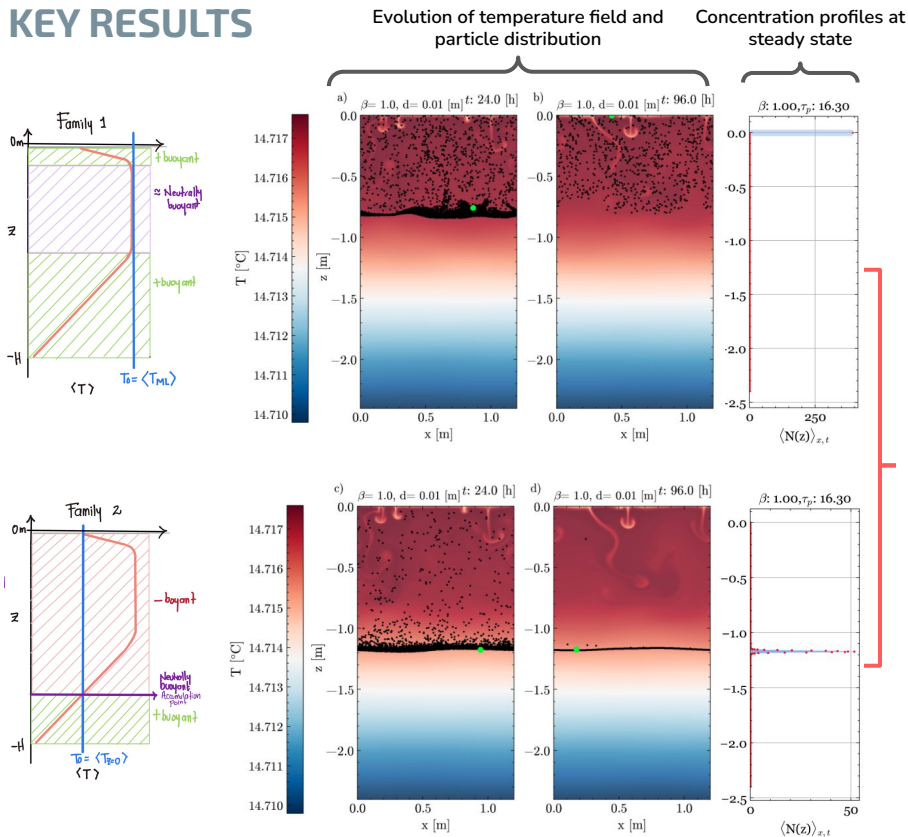
$$\mathbf{v} = \mathbf{u} + \frac{2}{3}\tau_p\alpha(T - T_0)\left(\mathbf{g} - \frac{D\mathbf{u}}{Dt}\right)$$

where

$$\tau_p = \frac{a}{3\nu} : \text{Particle response time}$$

α : Thermal expansion coefficient for sea water

KEY RESULTS



We derive a theoretical relation to predict the concentration profiles

We start with the conservation of particle mass

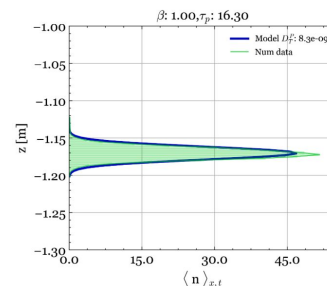
$$\frac{\partial n}{\partial t} + \nabla \cdot (n\mathbf{v}) = 0$$

For each quantity, we average over the x direction and decompose our quantities into mean and fluctuating components

$$\frac{\partial}{\partial t} \langle n \rangle_x - \frac{2}{3} \tau_p \alpha g \frac{\partial}{\partial z} \langle n \rangle_x \langle T - T_0 \rangle_x - \frac{\partial}{\partial z} \left(D_T^P(z) \frac{\partial}{\partial z} \langle n \rangle_x \right) = 0$$

Finally we get:

$$\langle n \rangle_{x,t} = \frac{1}{\int_0^H e^{-\frac{2}{3} \frac{\alpha \tau_p g}{D_T^P} \int_0^{z'} \langle T - T_0 \rangle_{x,t} dz'} dz} e^{-\frac{2}{3} \frac{\alpha \tau_p g}{D_T^P} \int_0^{z'} \langle T - T_0 \rangle_{x,t} dz'}$$



The model accurately predicts particle concentration below the mixed layer, where gravity and eddy diffusivity control accumulation and distribution.