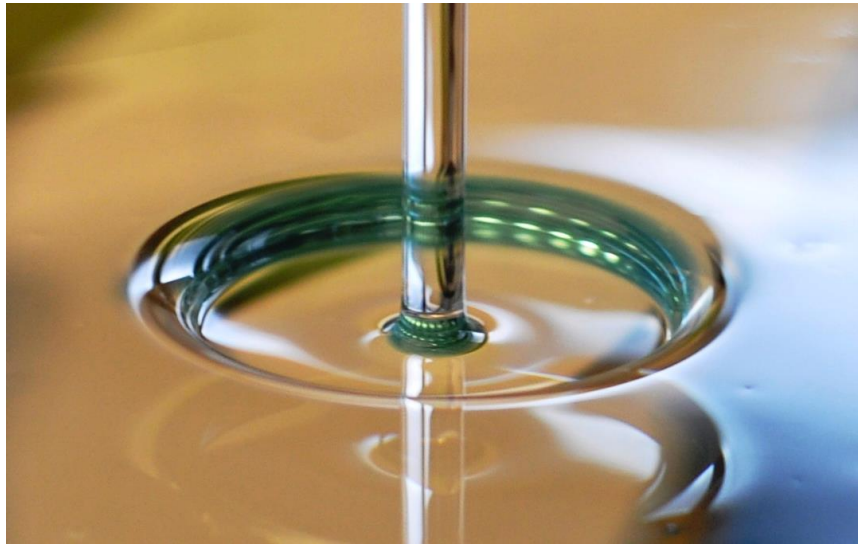
Ressaut circulaire hydraulique : comment prendre en compte la tension de surface ?



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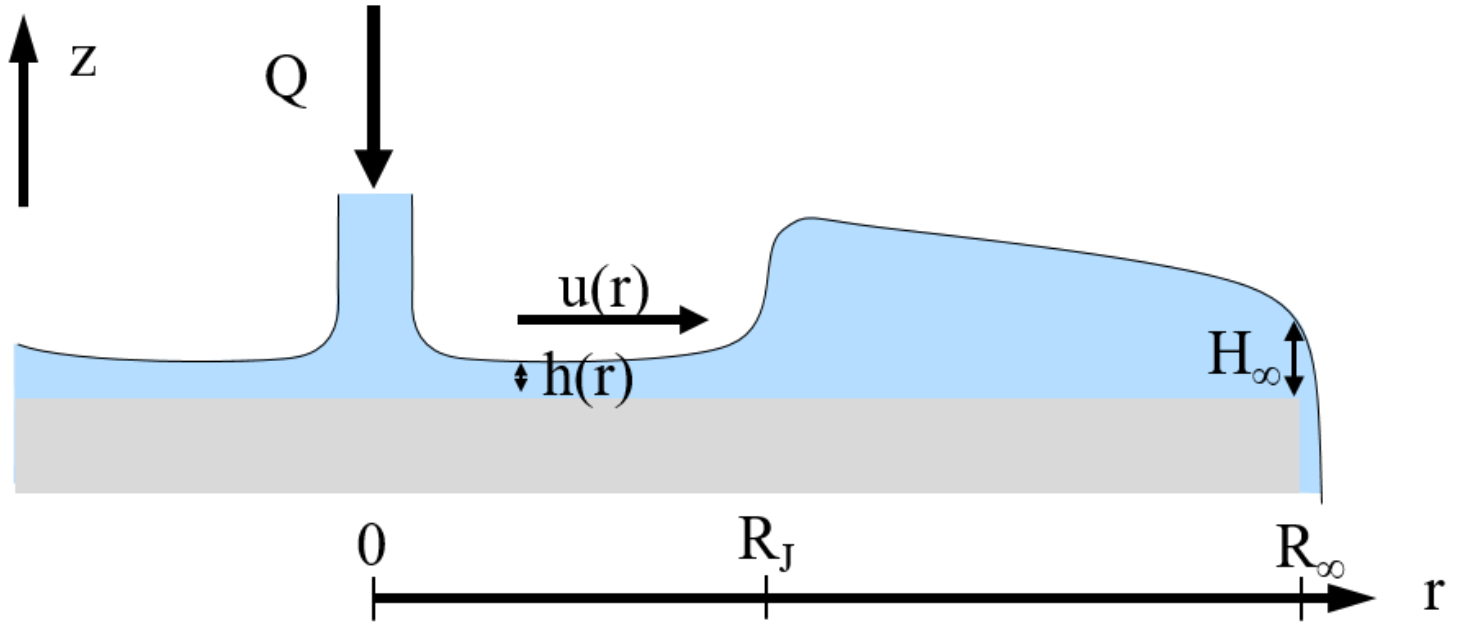

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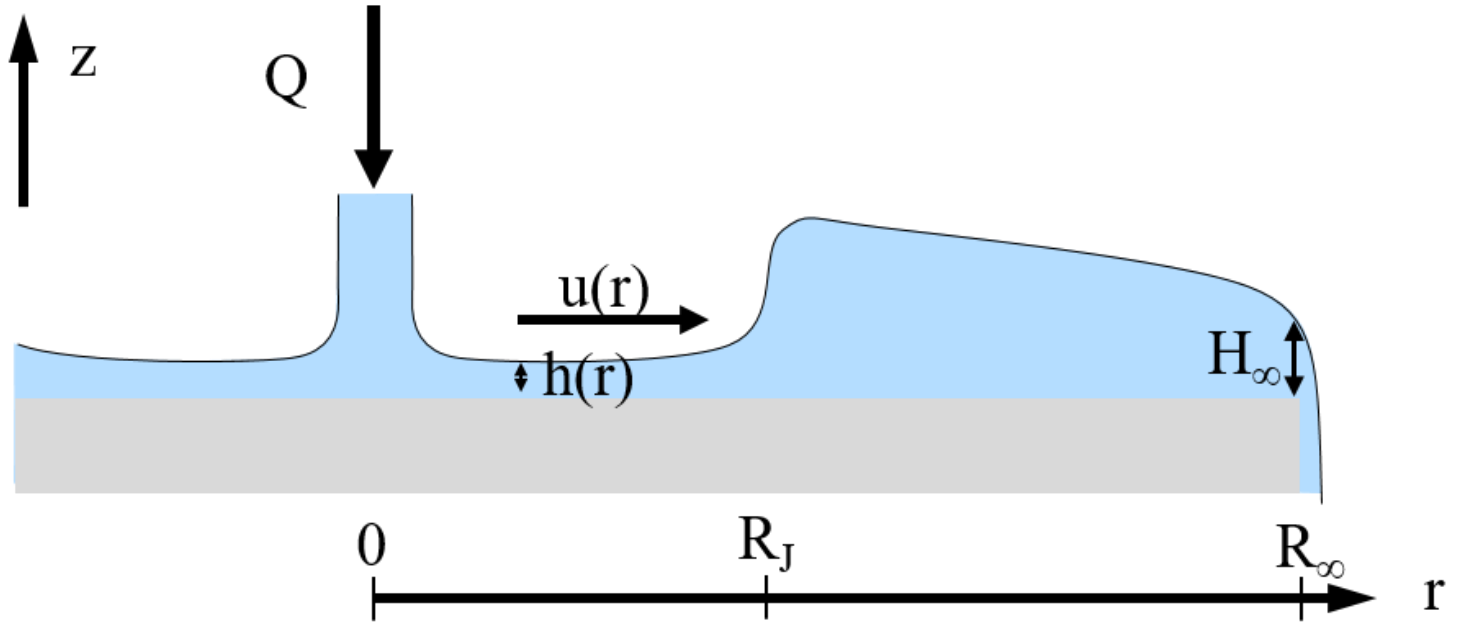
$$R_J \sim Q^{5/8} \nu^{-(3/8)} g^{-(1/8)}$$



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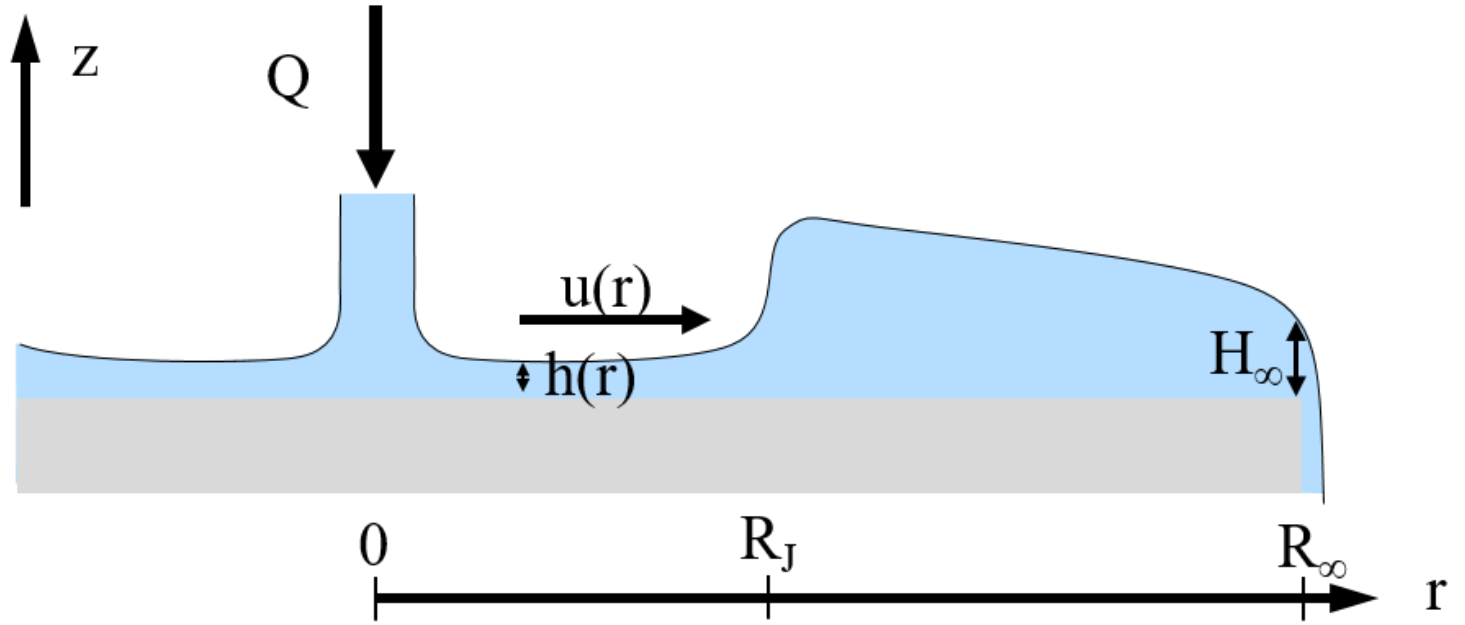

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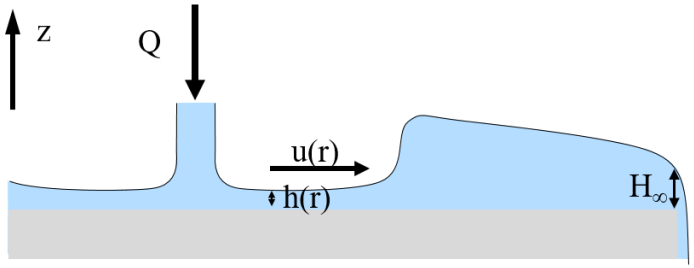
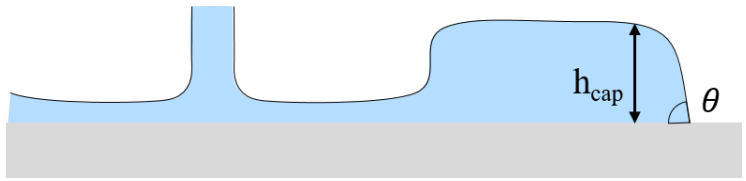
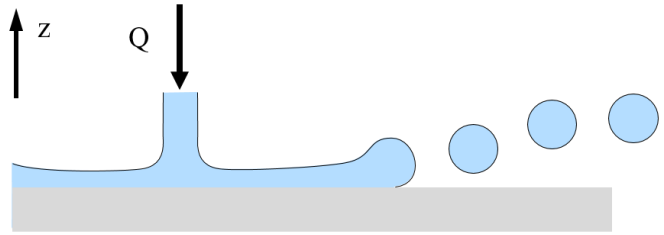
En contradiction…

Dans le poster:

- Nous corrigeons l’approche de Bhagat
- Nous réconcilions les 2 lois d’échelle qui dépendent des conditions limites…







A. Duchesne & L. Limat, **Circular hydraulic jumps: where does surface tension matter?**, *J. Fluid Mech., vol. 937, R2 (2022)*