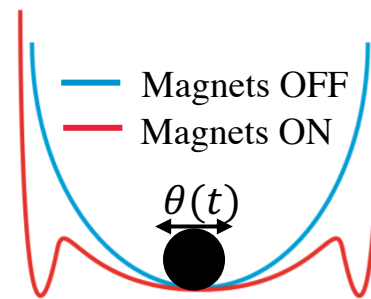
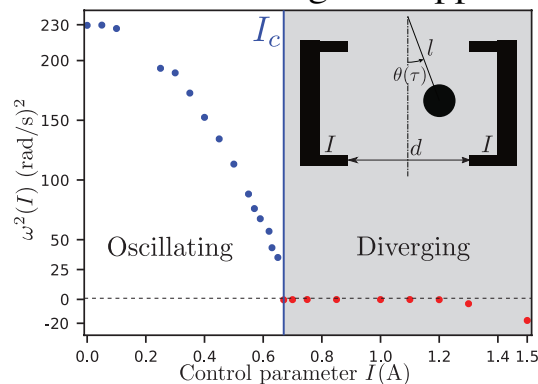
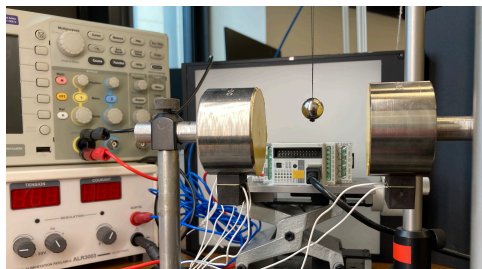


By periodically modulating the evolution law of a dynamical system one can enhance and trigger high order parametric instabilities. By modifying the period of modulation  $T$  one can obtain exciting new applications.

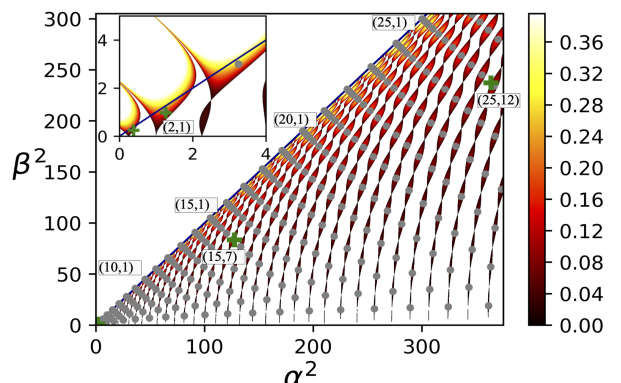
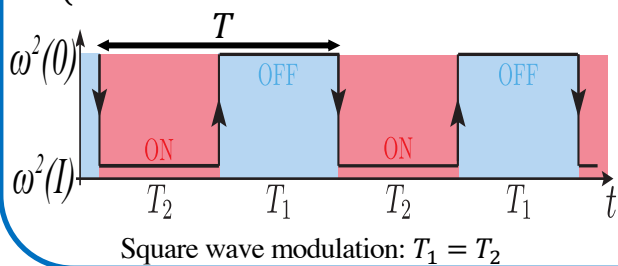
## Electromagnetic pendulum



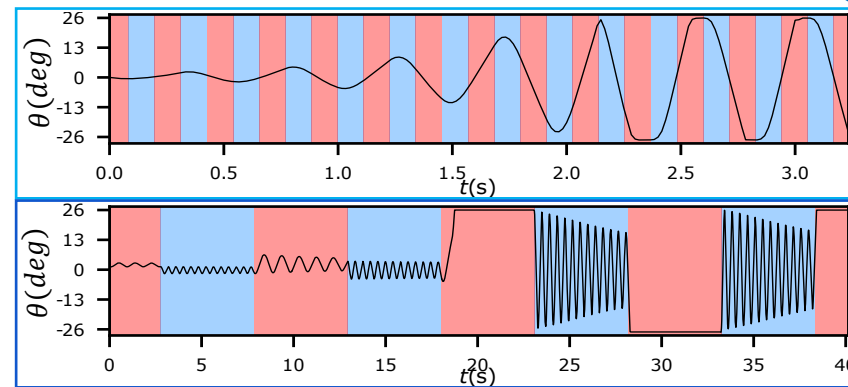
## Extreme parametric instabilities

Linear two-state oscillator:

$$\begin{cases} \ddot{\theta}(t) + \omega^2(0)\theta(t) = 0 & \text{during } T_1, \\ \ddot{\theta}(t) + \omega^2(I)\theta(t) = 0 & \text{during } T_2, \end{cases}$$



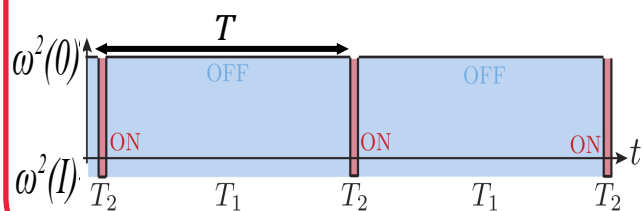
Extended stability diagram of the Meissner equation



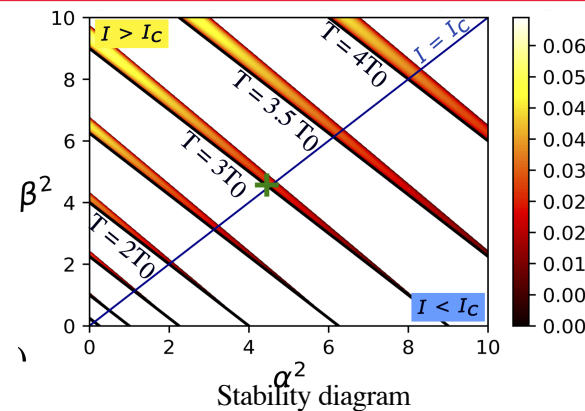
Experimental observation of the 2<sup>nd</sup> and 36<sup>th</sup> instability tongue

## Triggering & sustaining a natural oscillation

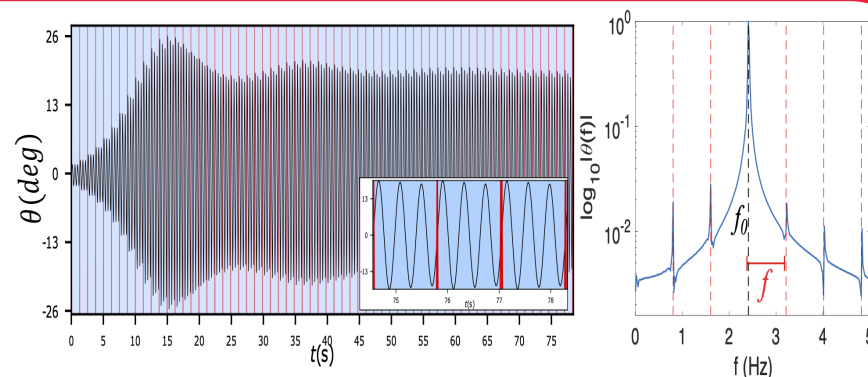
The “natural” oscillation of a system with period  $T_0$  can be obtained as long as  $T \approx 0.5kT_0$ ,  $k \in \mathbb{N}^*$



“Impulse train” modulation:  $T_1 \gg T_2$



Stability diagram



Experimental natural sinusoidal motion triggered and sustained every  $T \approx 3T_0$